

Comparison of Rotor Magnetic Circuit Topologies for Passively Levitated Self-bearing Machines

ADRIEN ROBERT

JOACHIM VAN VERDEGHEM

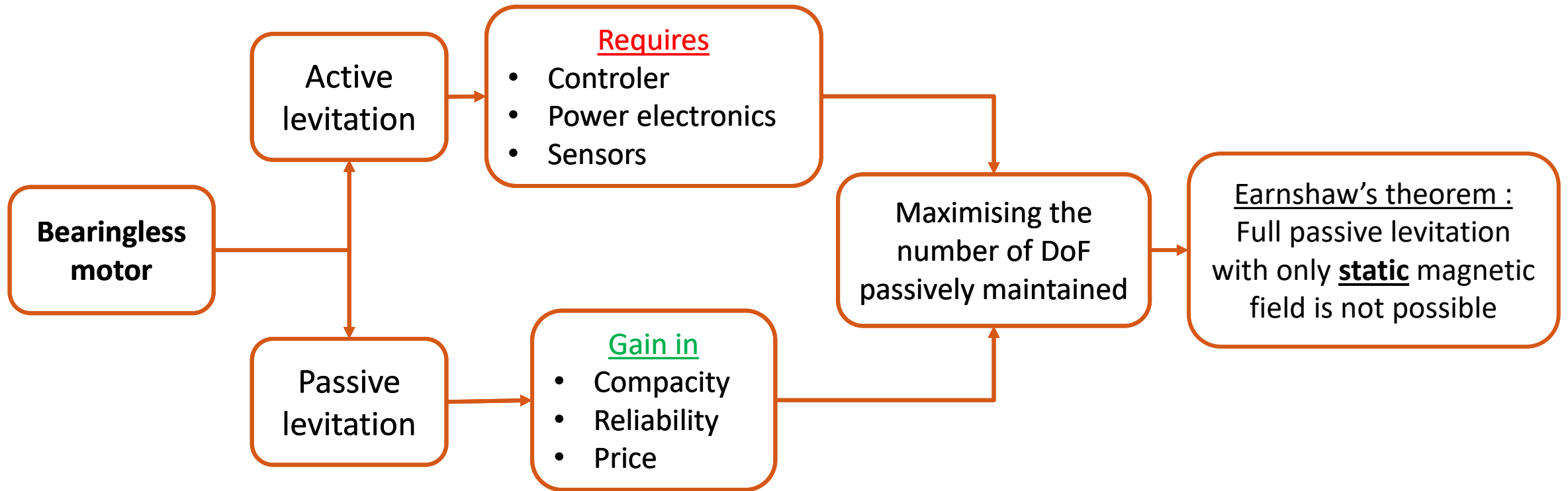
BRUNO DEHEZ

MECHATRONIC, ELECTRICAL ENERGY AND DYNAMIC SYSTEM (MEED)

UNIVERSITÉ CATHOLIQUE DE LOUVAIN (UCLouvain)

LOUVAIN-LA-NEUVE, BELGIUM

Research context

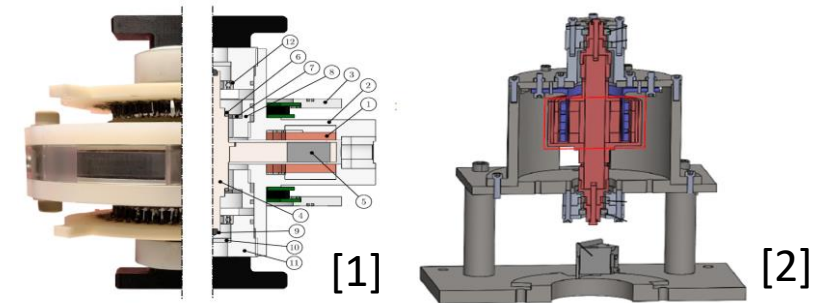


Research context

Earnshaw's theorem :
Full passive levitation
with only **static** magnetic
field is not possible

Electrodynamic suspension :
Bypass Earnshaw's theorem by
using a rotating magnetic field

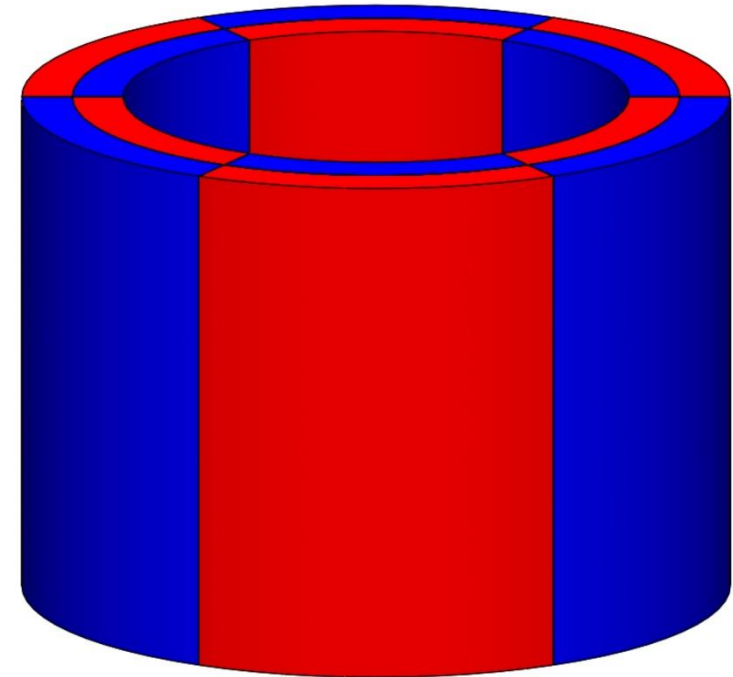
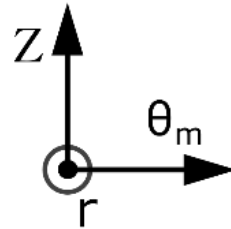
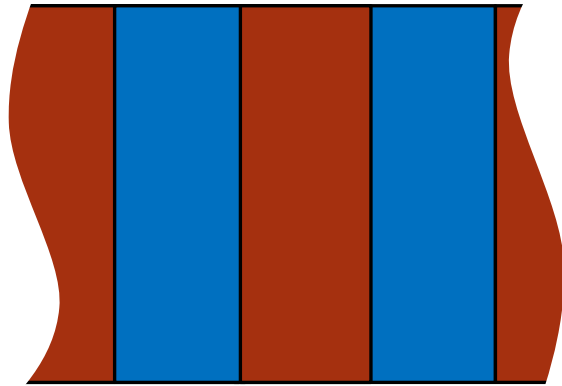
Two prototypes of fully passively
Electrodynamic Thrust Self-Bearing Motor
(ETSBM) :



How is it working ?

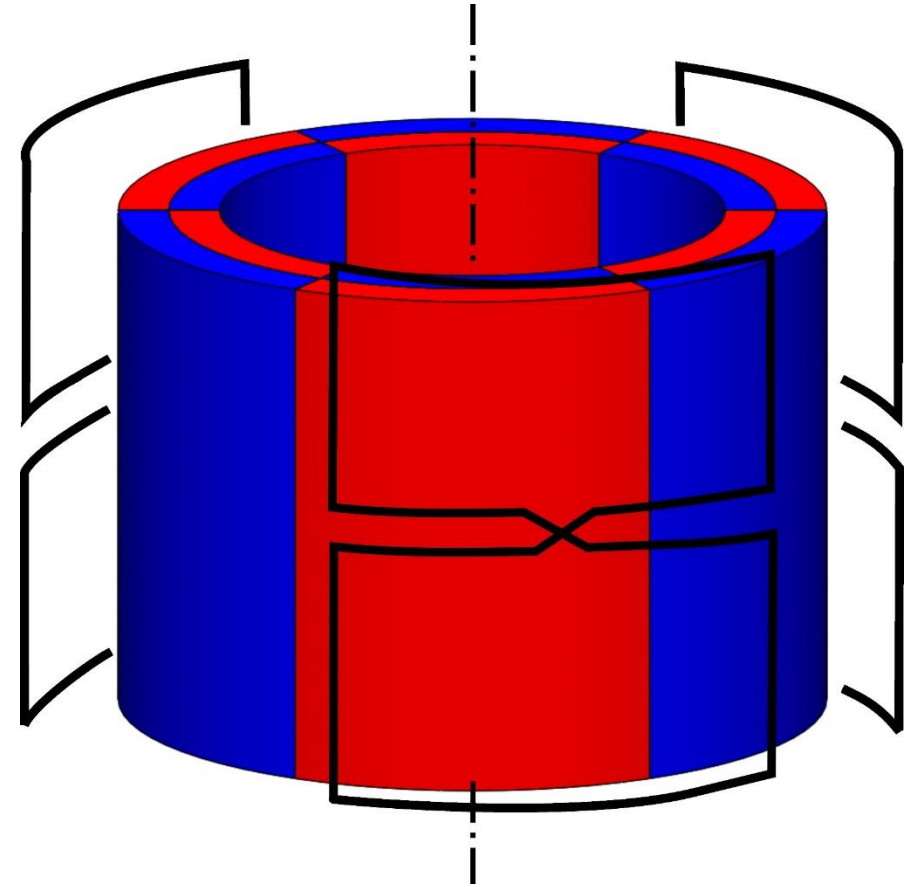
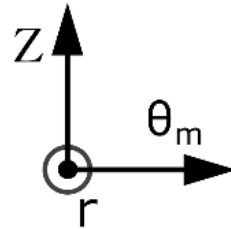
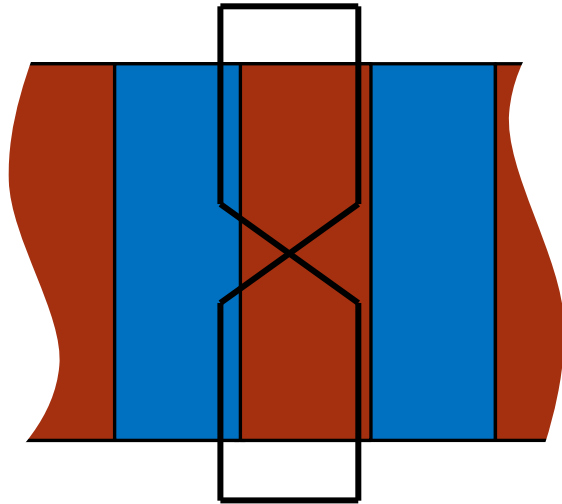
Working principle

Initially based on an electrodynamic thrust bearing :



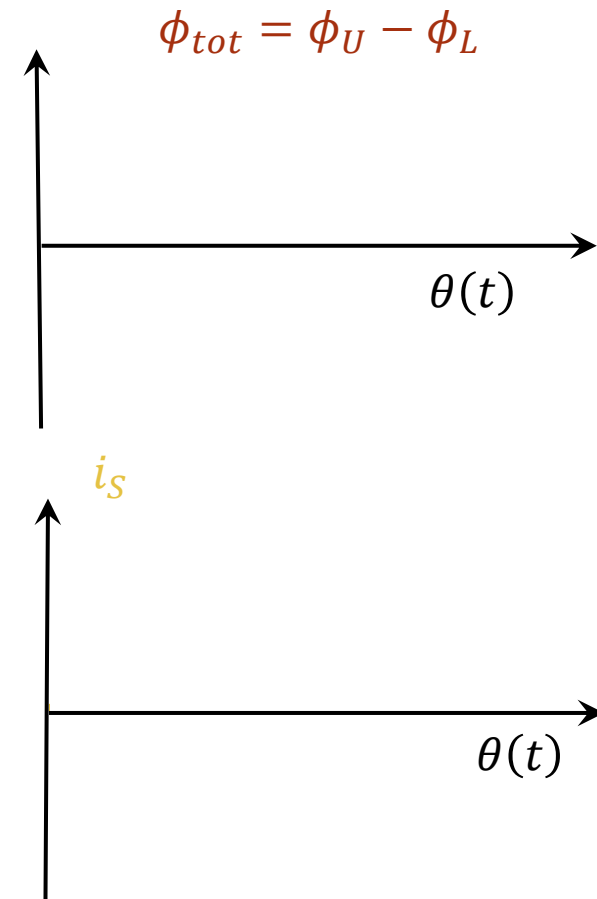
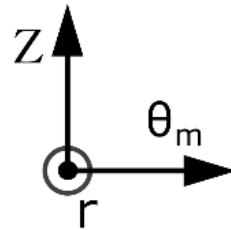
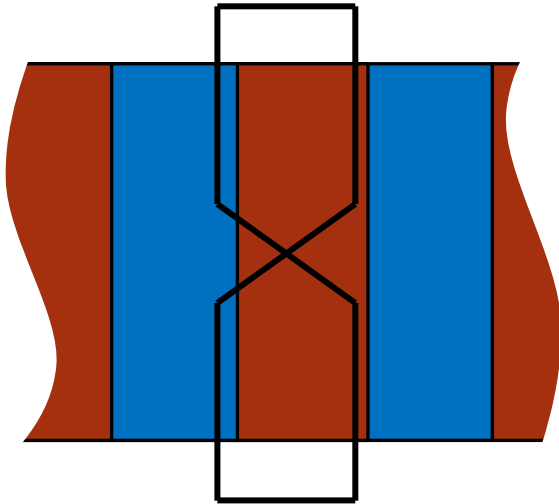
Working principle

Initially based on an electrodynamic thrust bearing :



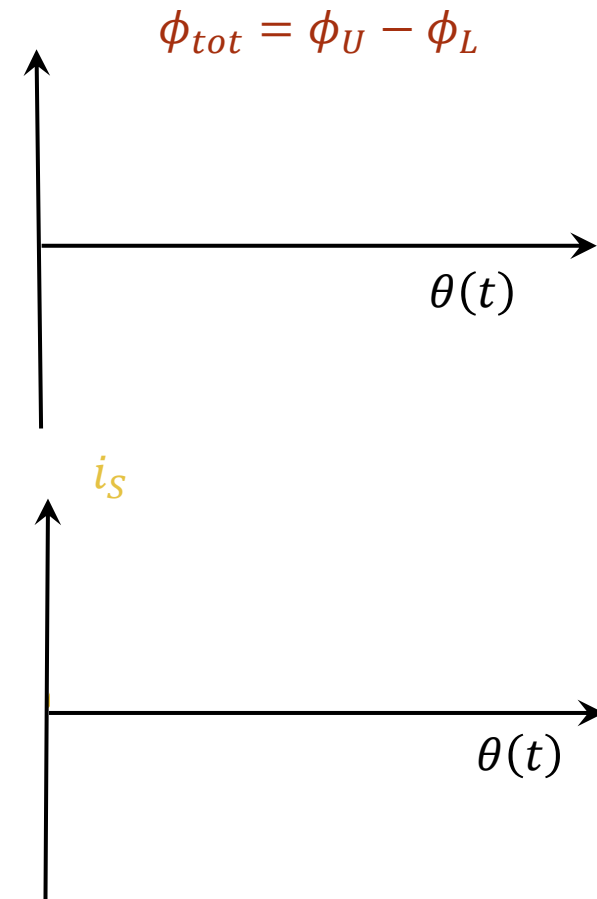
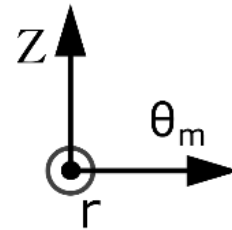
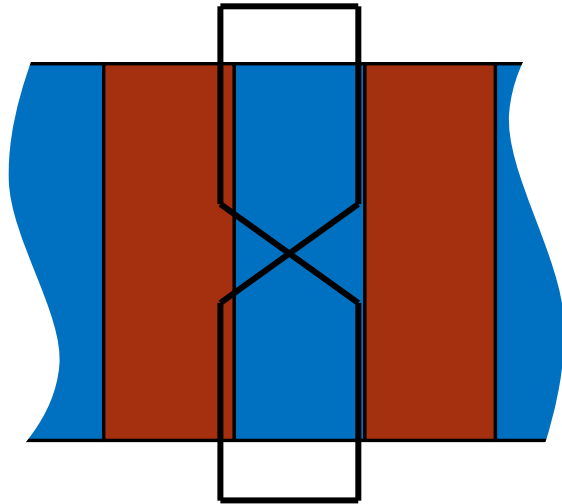
Working principle

Initially based on an electrodynamic thrust bearing :



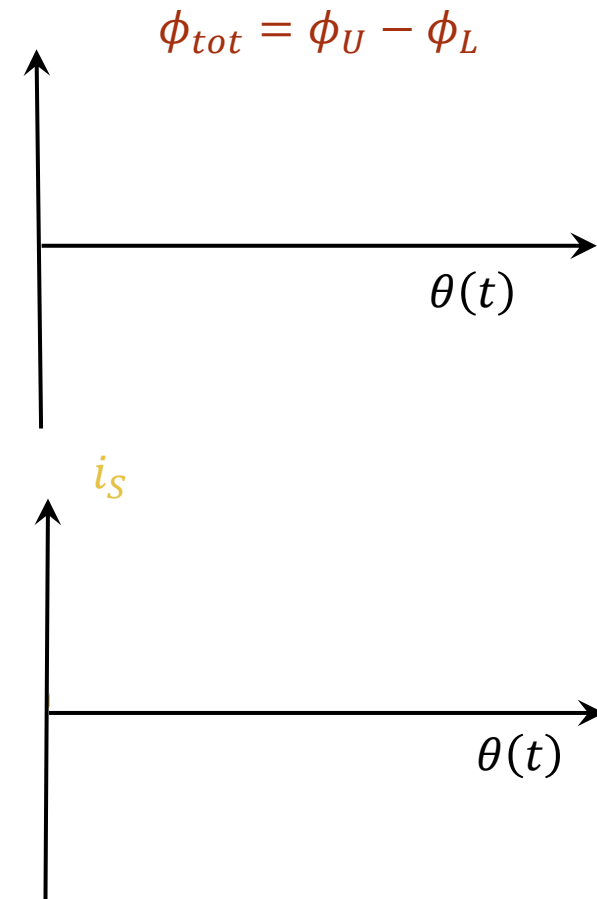
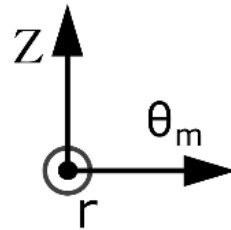
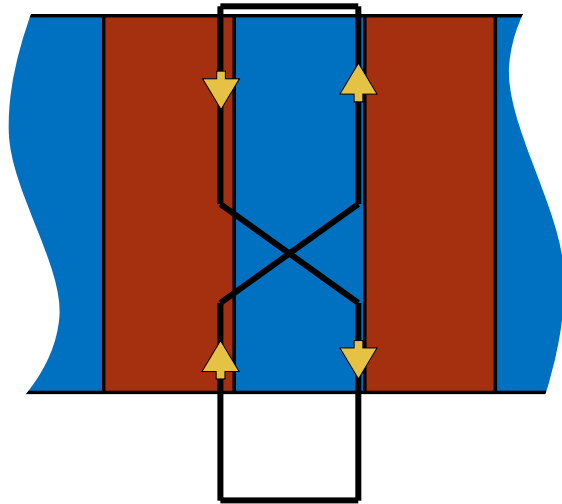
Working principle

Initially based on an electrodynamic thrust bearing :



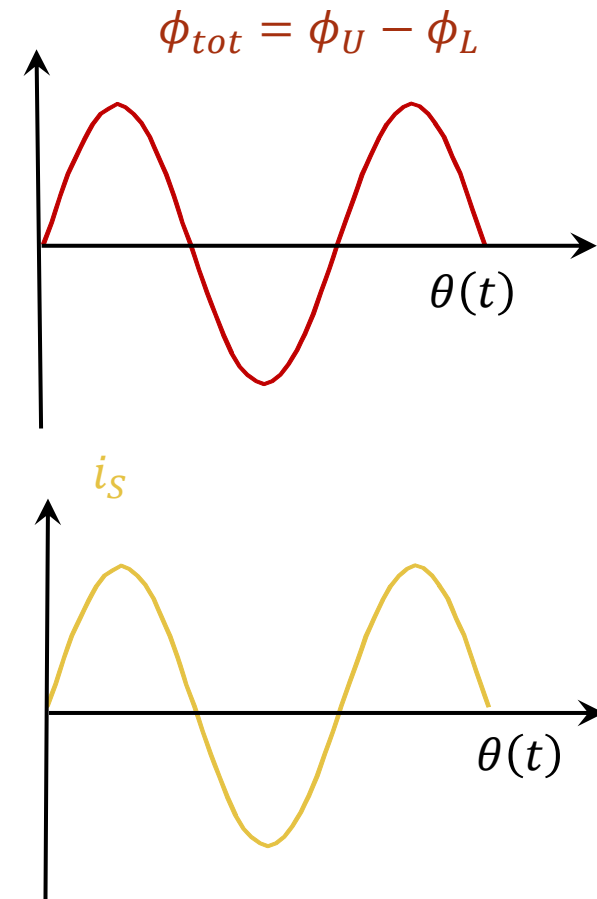
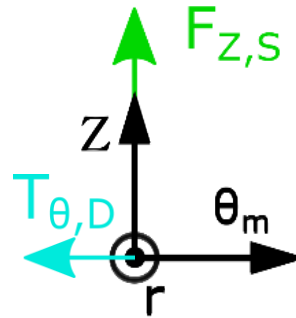
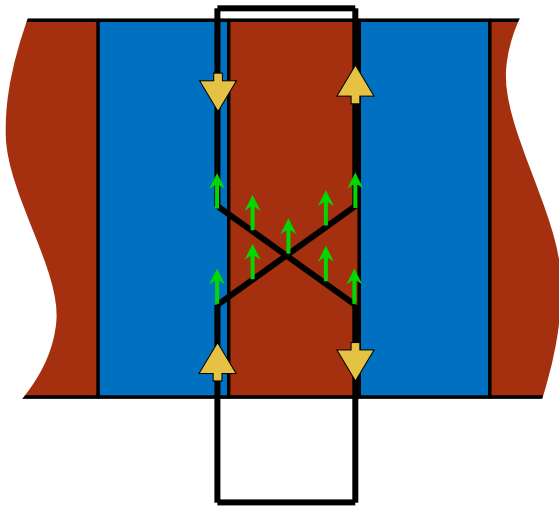
Working principle

Initially based on an electrodynamic thrust bearing :



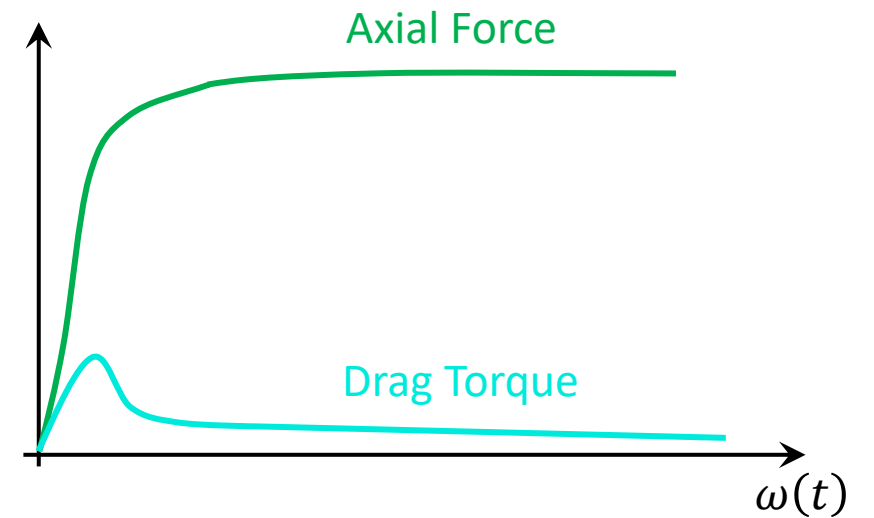
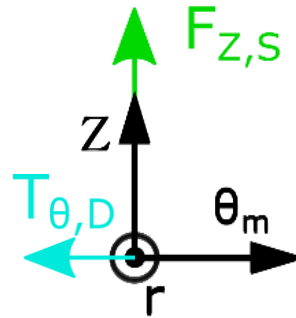
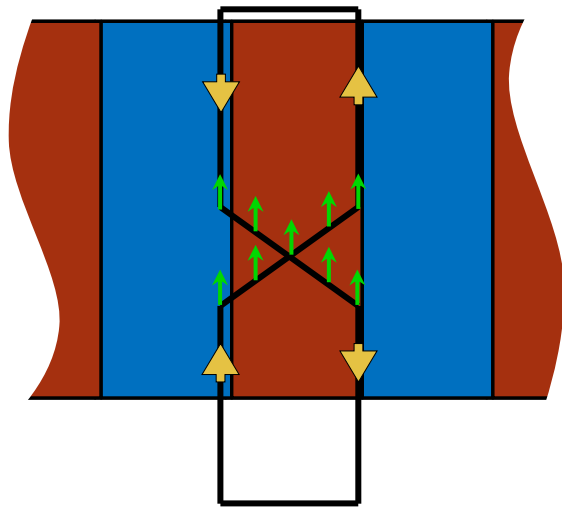
Working principle

Initially based on an electrodynamic thrust bearing :



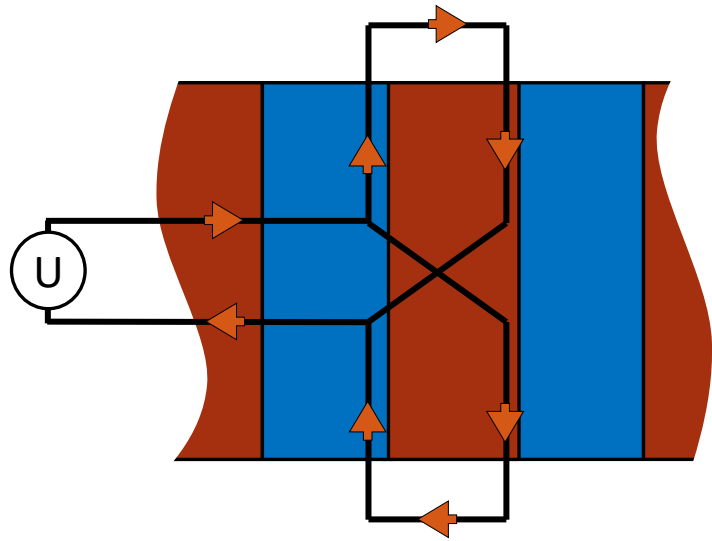
Working principle

Initially based on an electrodynamic thrust bearing :

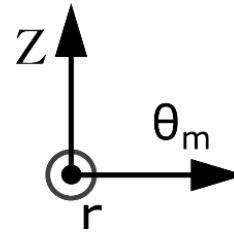


Working principle

Adding a power supply creates an electrodynamic thrust self-bearing motor:

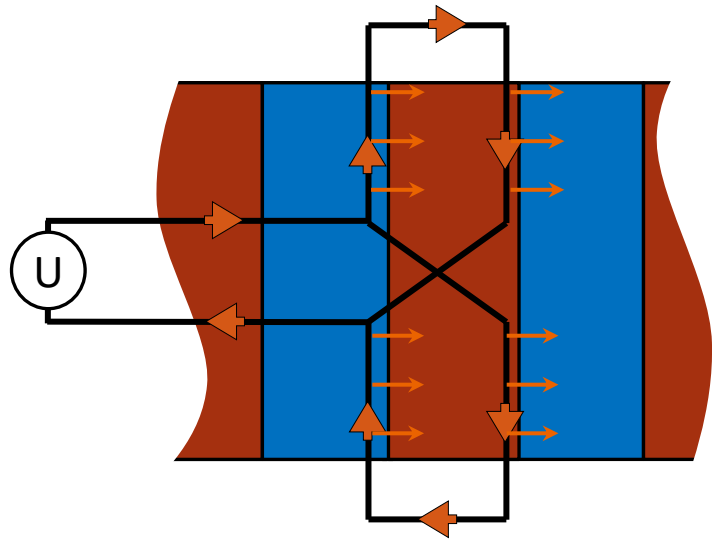


Centred position

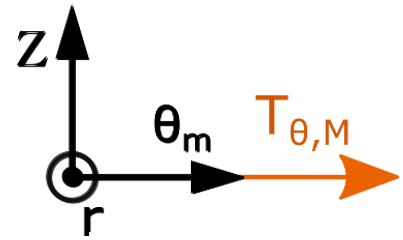


Working principle

Adding a power supply creates an electrodynamic thrust self-bearing motor:



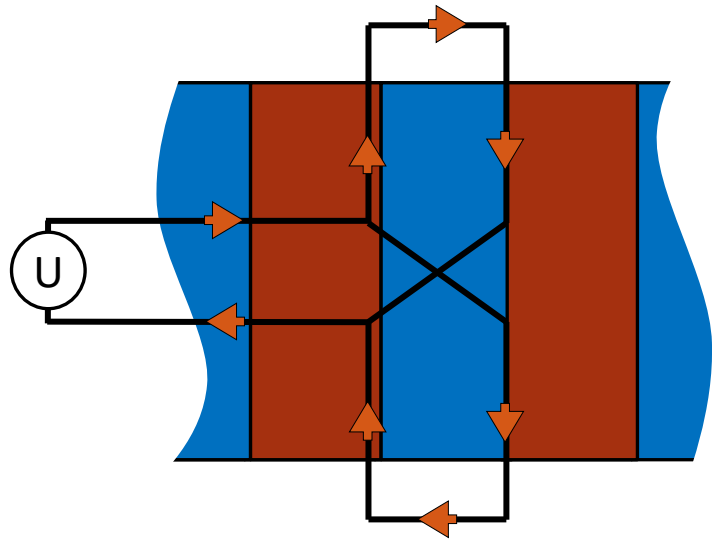
Centred position



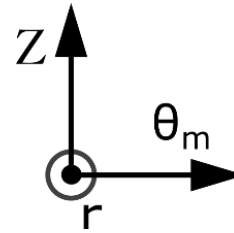
Driving
torque

Working principle

Adding a power supply creates an electrodynamic thrust self-bearing motor:

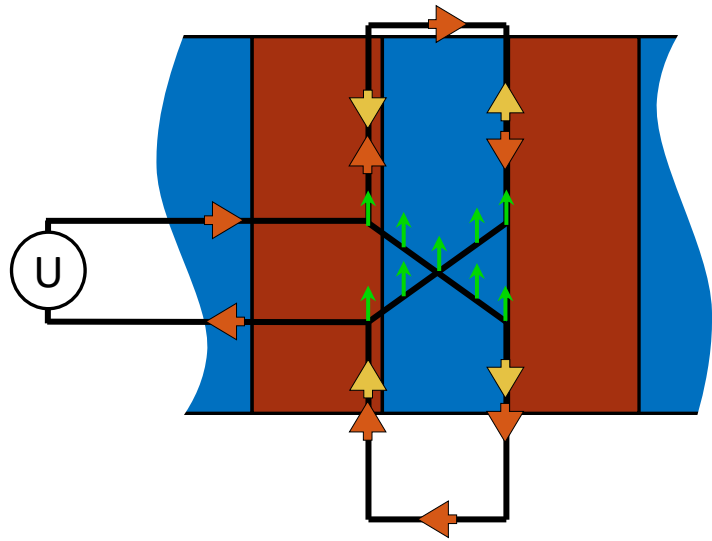


Uncentred position

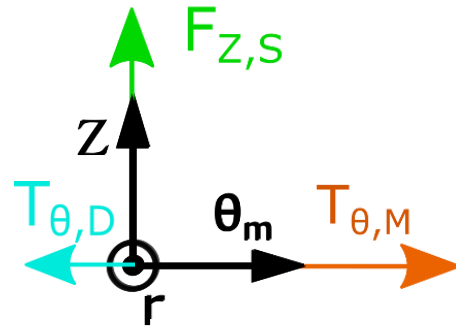


Working principle

Adding a power supply creates an electrodynamic thrust self-bearing motor:



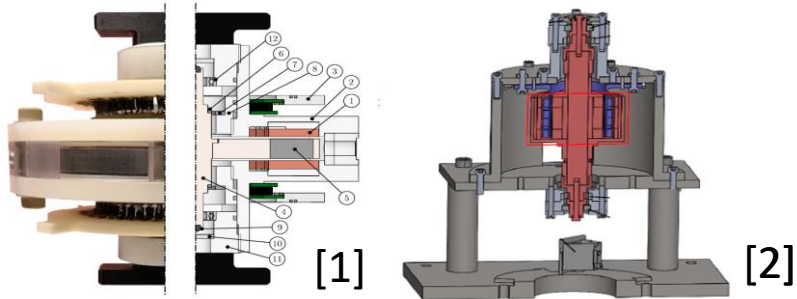
Uncentred position



Driving
torque
+
Electrodynamic
suspension

Research context

Two prototypes of fully passively
Electrodynamic Thrust Self-Bearing Motor
(ETSBM) :

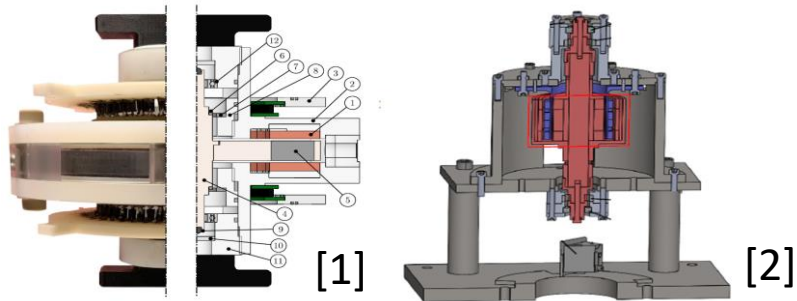


Only Surface
Mounted Permanent
Magnet are used

Is there better rotor
magnetic circuit topology
for the ETSBM ?

Research context

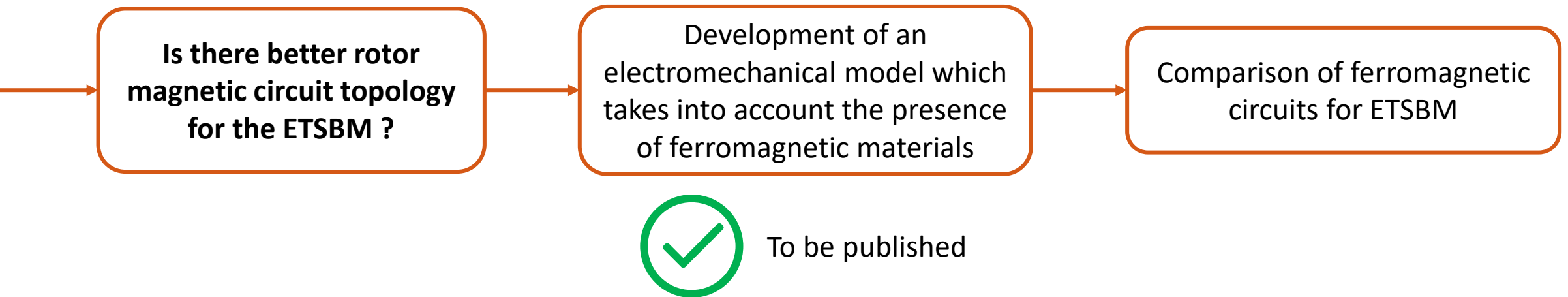
Two prototypes of fully passively
Electrodynamic Thrust Self-Bearing Motor
(ETSBM) :



Only Surface
Mounted Permanent
Magnet are used

**Is there better rotor
magnetic circuit topology
for the ETSBM ?**

Research context



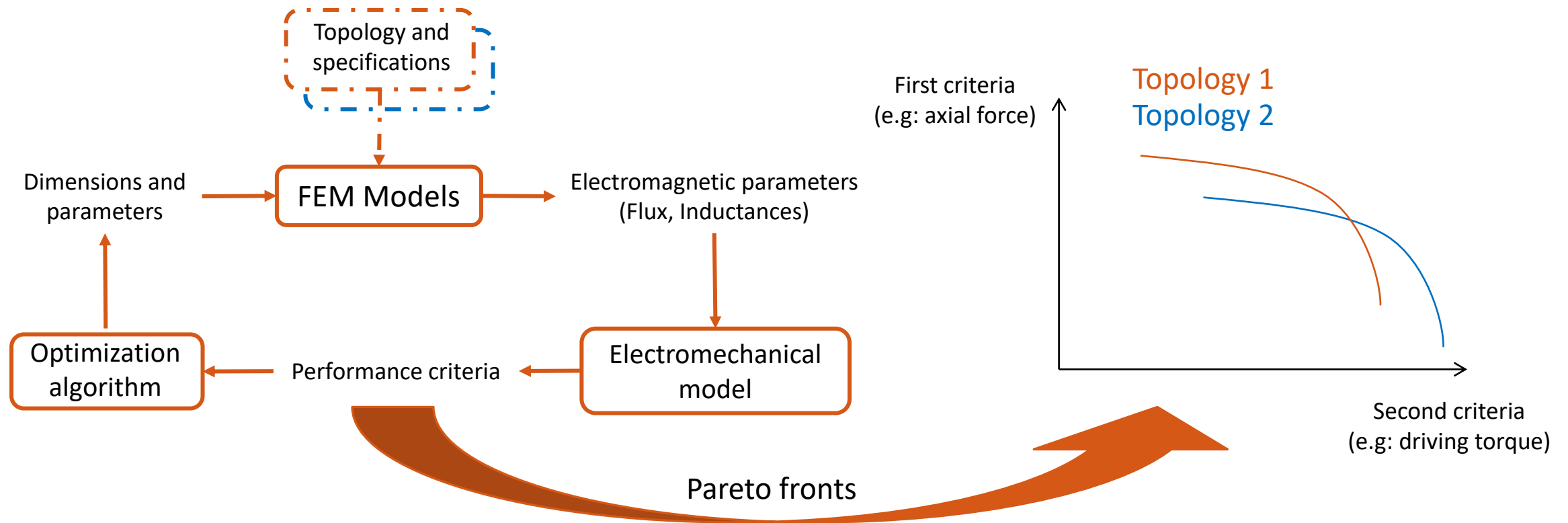
Presentation content

- Methodology
- Investigated topologies
- Performance criteria
- Results

Presentation content

- Methodology
- Investigated topologies
- Performance criteria
- Results

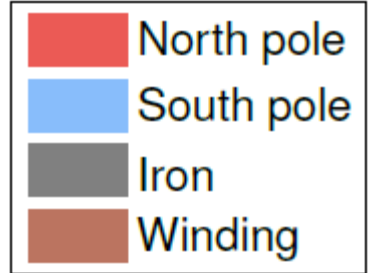
Methodology



Presentation content

- Methodology
- Investigated topologies
- Performance criteria
- Results

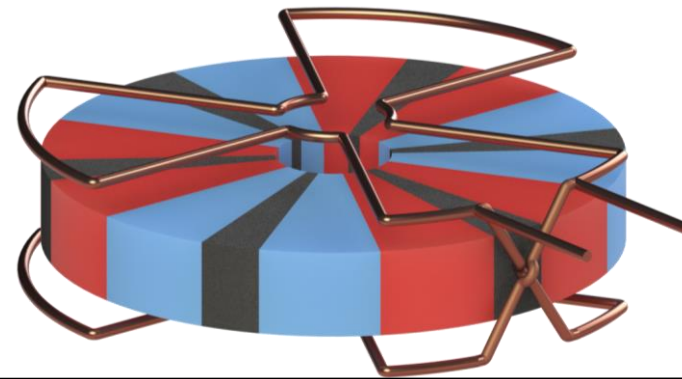
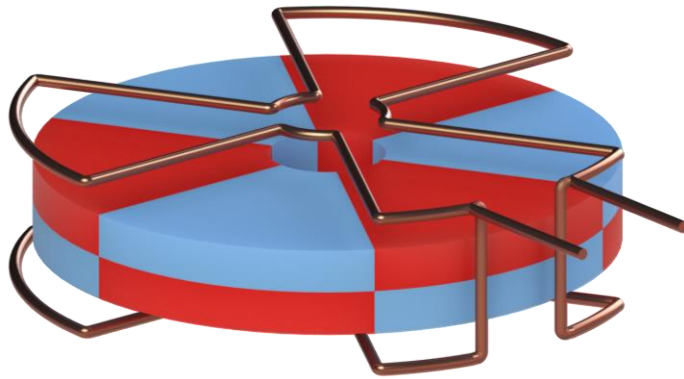
Investigated topologies



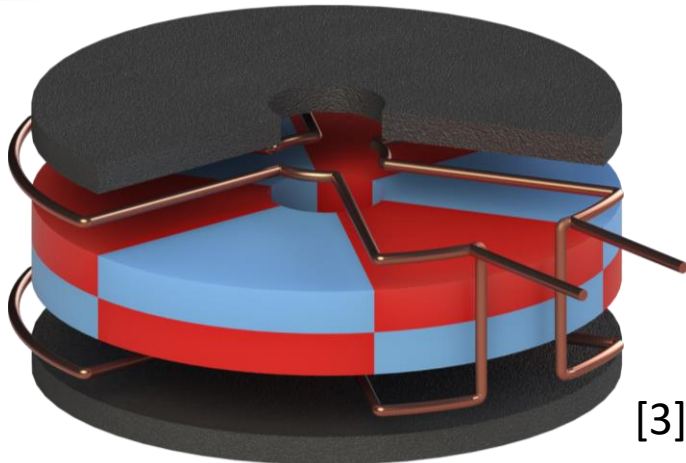
Surface Mounted Permanent Magnet (SMPM)

Spoke Type Permanent Magnet (STPM)

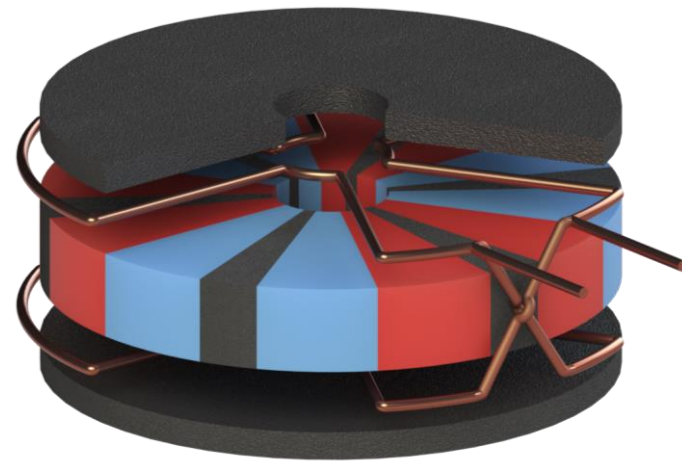
Without
Back-Iron (BI)



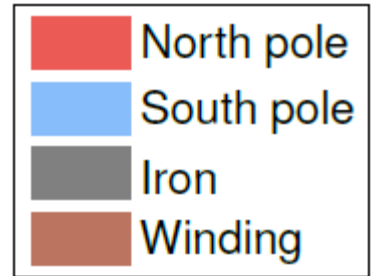
With BI



[3]



Machine parameters



Optimization parameters :

- Radius
- Pole pair number
- Winding thickness
- Angular proportion of PM



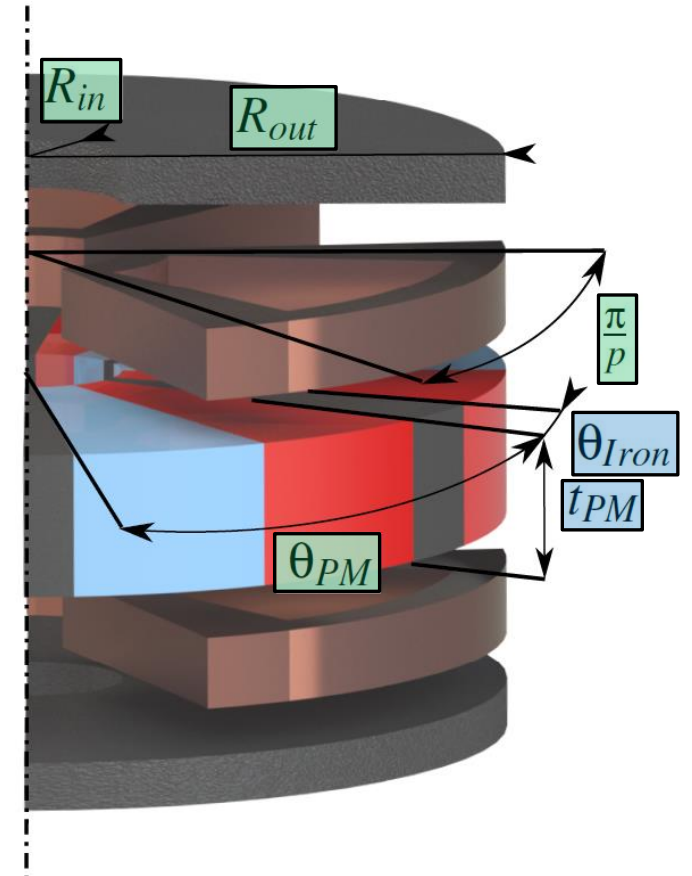
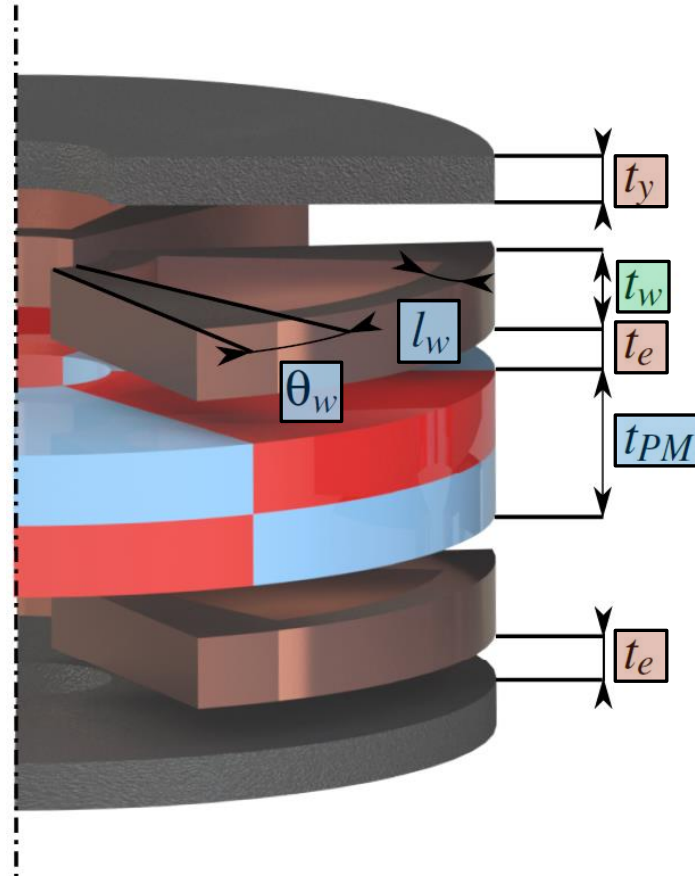
Fixed dimensions

- Volume of PM
- BI thickness
- Airgap



Dependent parameters

- Rotor thickness
- Winding dimensions
- Angular proportion of iron



Presentation content

- Methodology
- Investigated topologies
- **Performance criteria**
- Results

Performance criteria

Electromechanical model which takes into account the impact of ferromagnetic materials

1) Total torque developed by the motor

$$T_{\theta} = \sqrt{\frac{3}{2}} p \cdot I_{M,q} K_{\theta} + p \cdot \frac{I_{M,q} I_{M,d}}{2} \cdot (L_{M,d} - L_{M,q}) + T_{\theta,D}(z^2, \omega)$$

Electrodynamic torque

Reluctant torque

Drag torque

Performance criteria

Electromechanical model which takes into account the impact of ferromagnetic materials

1) Total torque developed by the motor

$$T_{\theta} = \underbrace{\sqrt{\frac{3}{2}} p \cdot I_{M,q} K_{\theta} + p \cdot \frac{I_{M,q} I_{M,d}}{2} \cdot (I_{M,d} - L_{M,q})}_{T_{\theta,M}} + \cancel{T_{\theta,D}(z^2, \omega)}$$

The torque is computed :

- For fixed Joule losses
- In centred position
- No current in the d-axis

Performance criteria

Electromechanical model which takes into account the impact of ferromagnetic materials

2) The total axial force depends on the position -> An axial stiffness can be defined :

$$k_z = \frac{\omega^2}{\omega_e^2 + \omega^2} \cdot \left(\frac{3K_{\theta,z}^2}{L_{S,d}} + \sqrt{6} \cdot K_{\theta,z} \cdot \frac{L_{d,z}}{L_{S,d}} \cdot I_{M,d} + \frac{L_{d,z}^2}{2L_{S,d}} \cdot I_{M,d}^2 + \frac{L_{q,z}^2}{2L_{S,q}} \cdot I_{M,q}^2 \right)$$

The diagram illustrates the components of the axial stiffness equation. Arrows point from specific parts of the equation to descriptive boxes:

- An arrow from $\frac{\omega^2}{\omega_e^2 + \omega^2}$ points to a box labeled "Evolution with the rotation speed".
- An arrow from $\frac{3K_{\theta,z}^2}{L_{S,d}}$ points to a box labeled "Electrodynamic term".
- An arrow from $\sqrt{6} \cdot K_{\theta,z} \cdot \frac{L_{d,z}}{L_{S,d}} \cdot I_{M,d}$ points to a box labeled "Cross term".
- An arrow from the entire term in large parentheses points to a box labeled "Reluctant term".

Below the diagram, the electrical angular frequency ω_e is defined as:

$$\omega_e = \frac{R}{p \sqrt{L_{S,d} \cdot L_{S,q}}}$$

Performance criteria

Electromechanical model which takes into account the impact of ferromagnetic materials

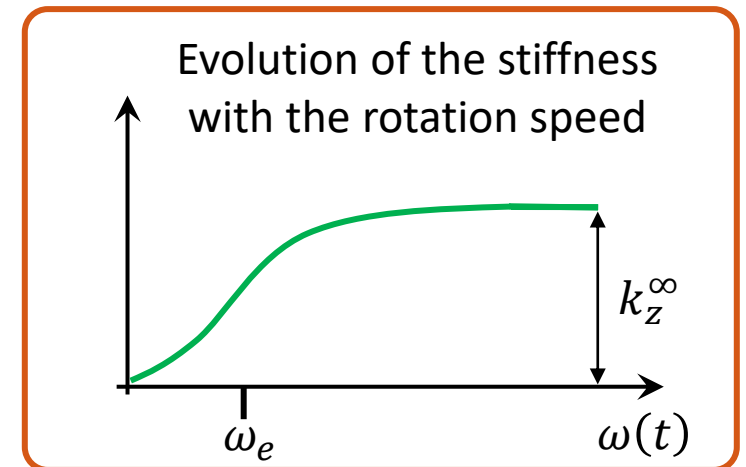
2) The total axial force depends on the position -> An axial stiffness can be defined :

$$k_z = \frac{\omega^2}{\omega_e^2 + \omega^2} \cdot \left(\frac{3K_{\theta,z}^2}{L_{S,d}} + \underbrace{\sqrt{6} \cdot K_{\theta,z} \cdot \frac{L_{d,z}}{L_{S,d}} \cdot I_{M,d}}_{k_z^\infty} + \frac{L_{d,z}^2}{2L_{S,d}} \cdot I_{M,d}^2 + \frac{L_{q,z}^2}{2L_{S,q}} \cdot I_{M,q}^2 \right)$$

Two elements define a good suspension performance :

- A large asymptotic stiffness k_z^∞ ← Chosen criteria
- A small electrical pole ω_e

Computed in the same conditions as the torque



Optimization process : Summary

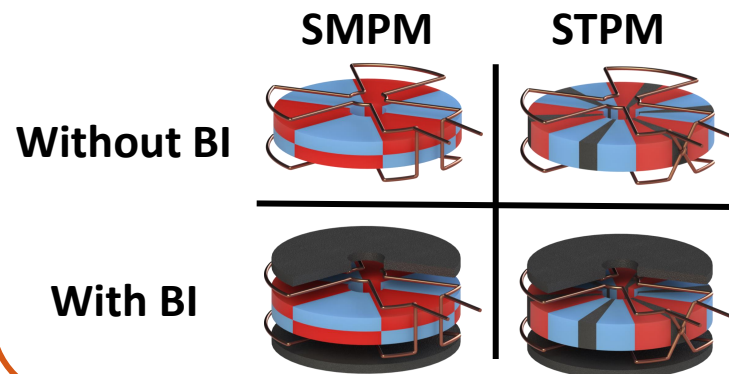
Bi-objective optimization :

- Maximizing the driving torque $T_{\theta,M}$
- Maximizing the asymptotic stiffness k_z^∞

Fixed parameters :

- Joule losses : 12,5 [W]
- Volume of permanent magnet : 5cm³
- Load angle : 90° (All the current is injected on the q-axis)

4 Topologies :



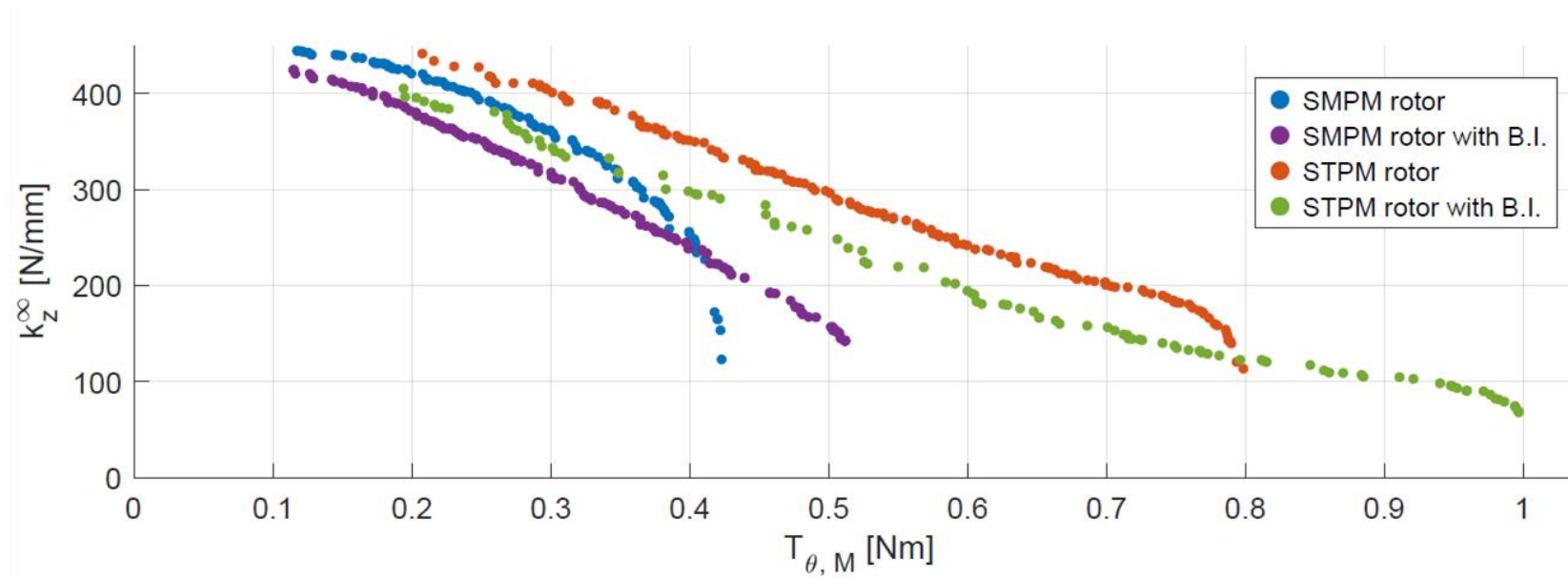
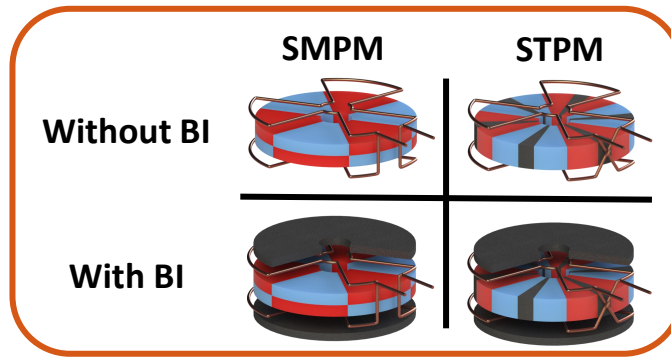
Geometric parameters:

- Pole pair number
- Inner and outer radius
- Winding thickness
- Angular proportion of PM for STPM

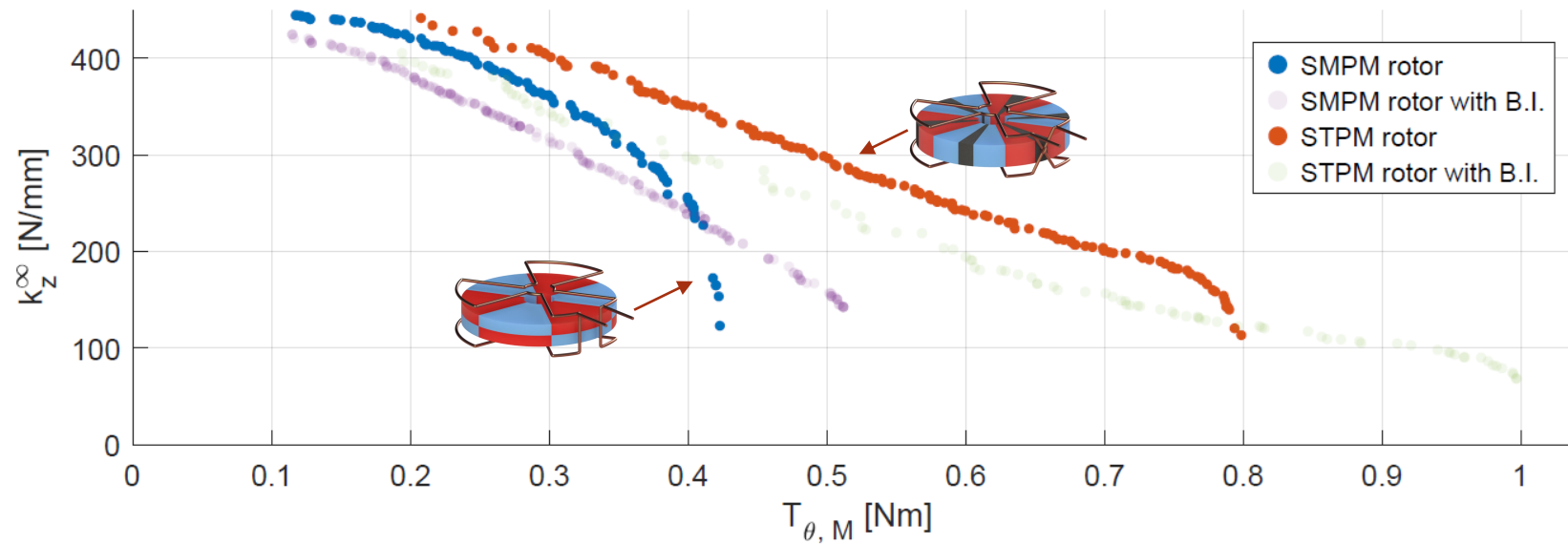
Presentation content

- Methodology
- Investigated topologies
- Performance criteria
- Results

Optimisation Results



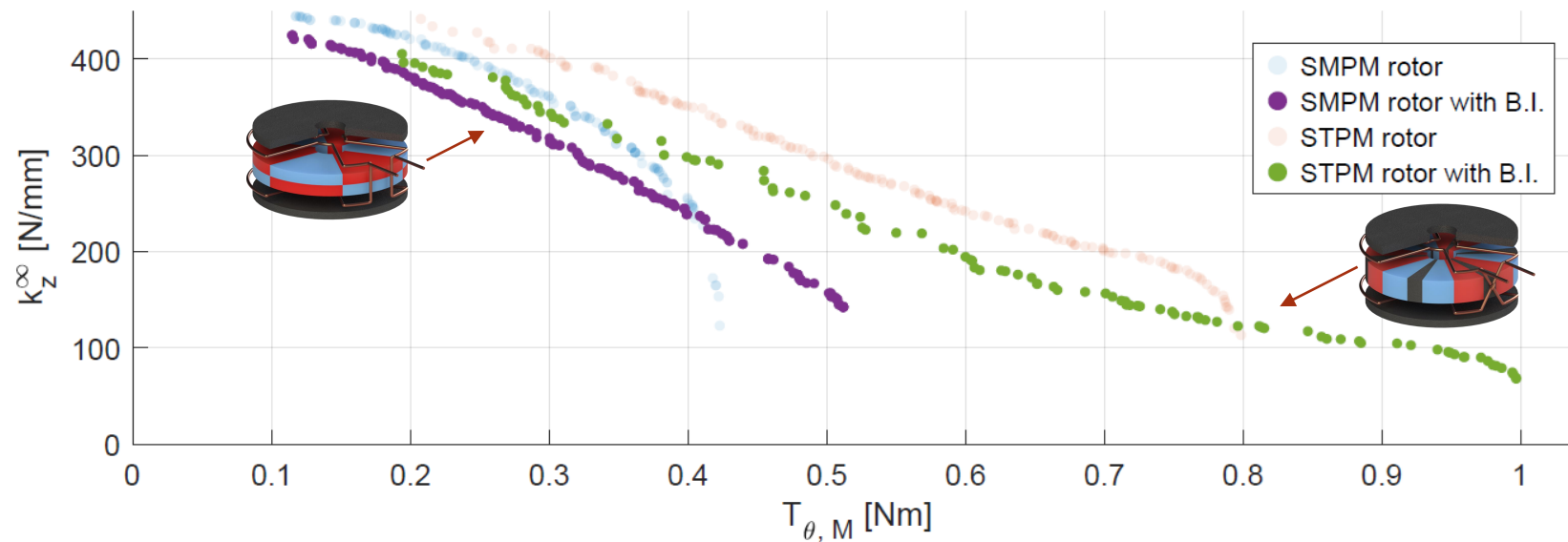
Optimisation Results



SMPM versus STPM :

- Same range of stiffness
- Higher and wider torque range
- STPM reaches torque two times bigger than SMPM

Optimisation Results



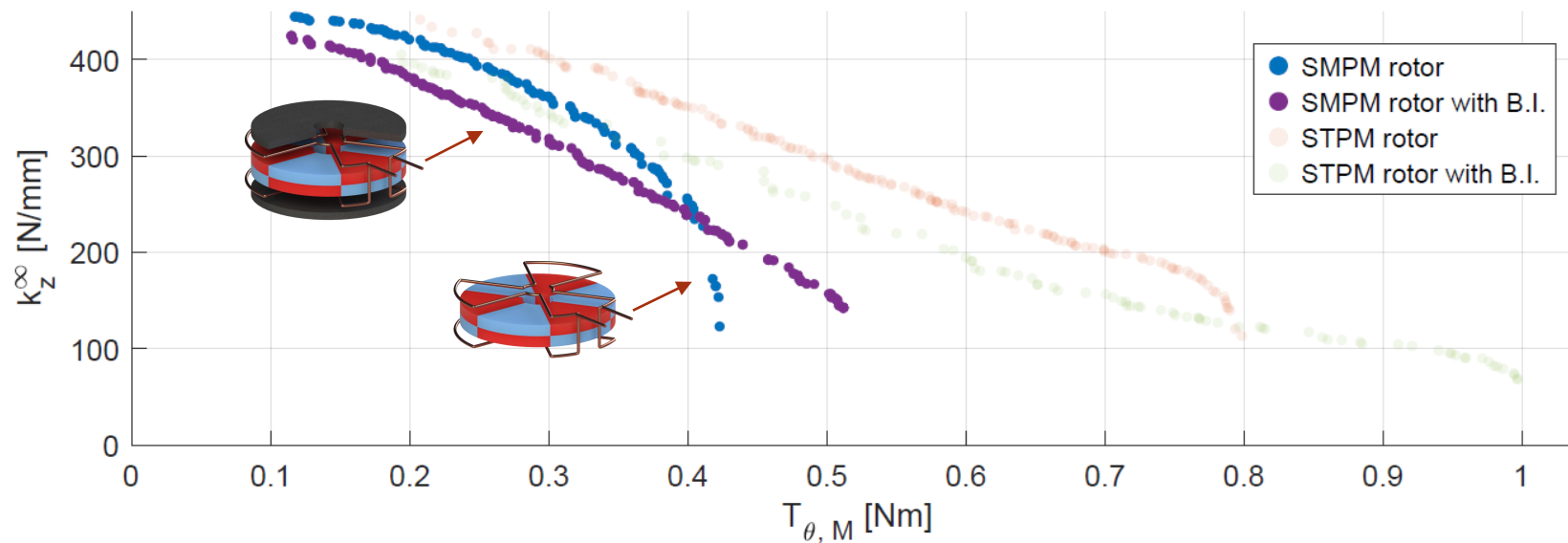
SMPM versus STPM :

- Same range of stiffness
- Higher and wider torque range
- STPM reaches torque two times bigger than SMPM

SMPM versus STPM, both with BI :

- Same observations
- Range of stiffness reachable by STPM slightly smaller than SMPM

Optimisation Results



SMPM versus STPM :

- Same range of stiffness
- Higher and wider torque range
- STPM reaches torque two times bigger than SMPM

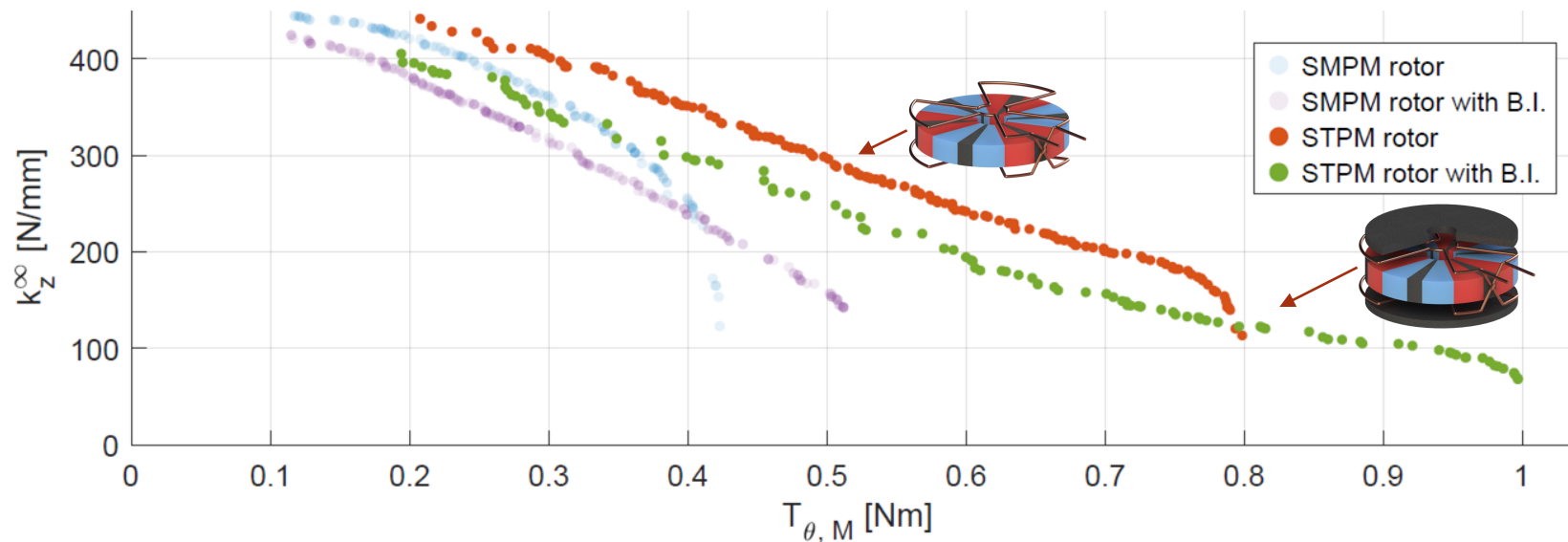
SMPM versus STPM, both with BI :

- Same observations
- Range of stiffness reachable by STPM slightly smaller than SMPM

Impact of BI for both topologies:

- Reduce the asymptotic stiffness for low torque range
- Maintain a better stiffness for high torque range
- Allow to reach higher torque range for both topologies

Optimisation Results



SMPM versus STPM :

- Same range of stiffness
- Higher and wider torque range
- STPM reaches torque two times bigger than SMPM

SMPM versus STPM, both with BI :

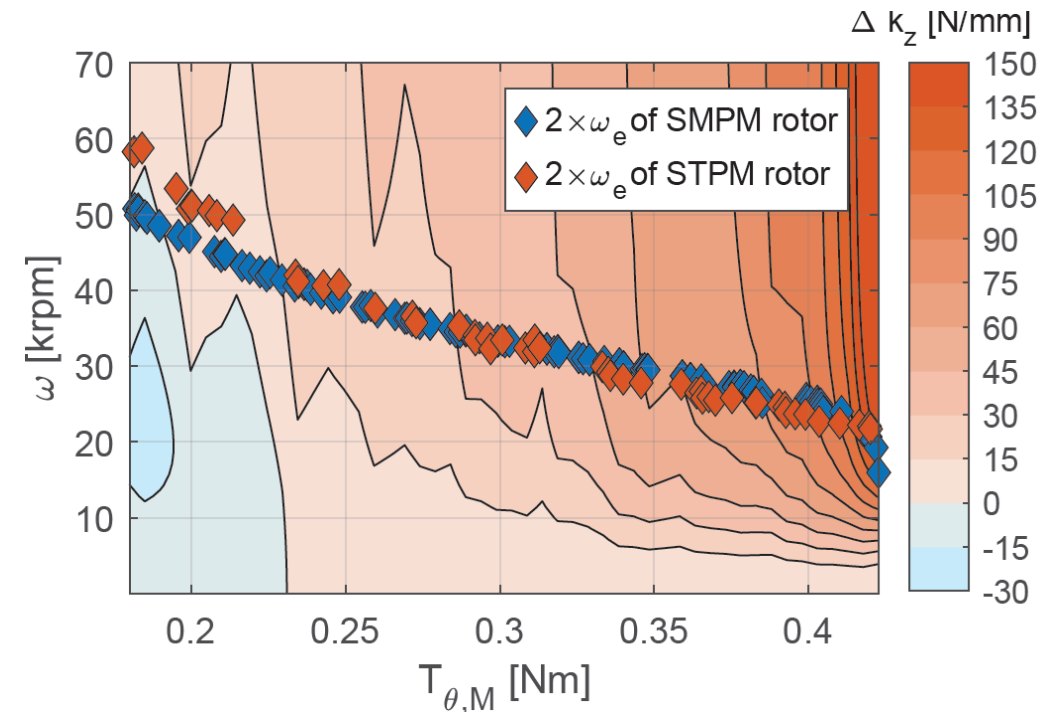
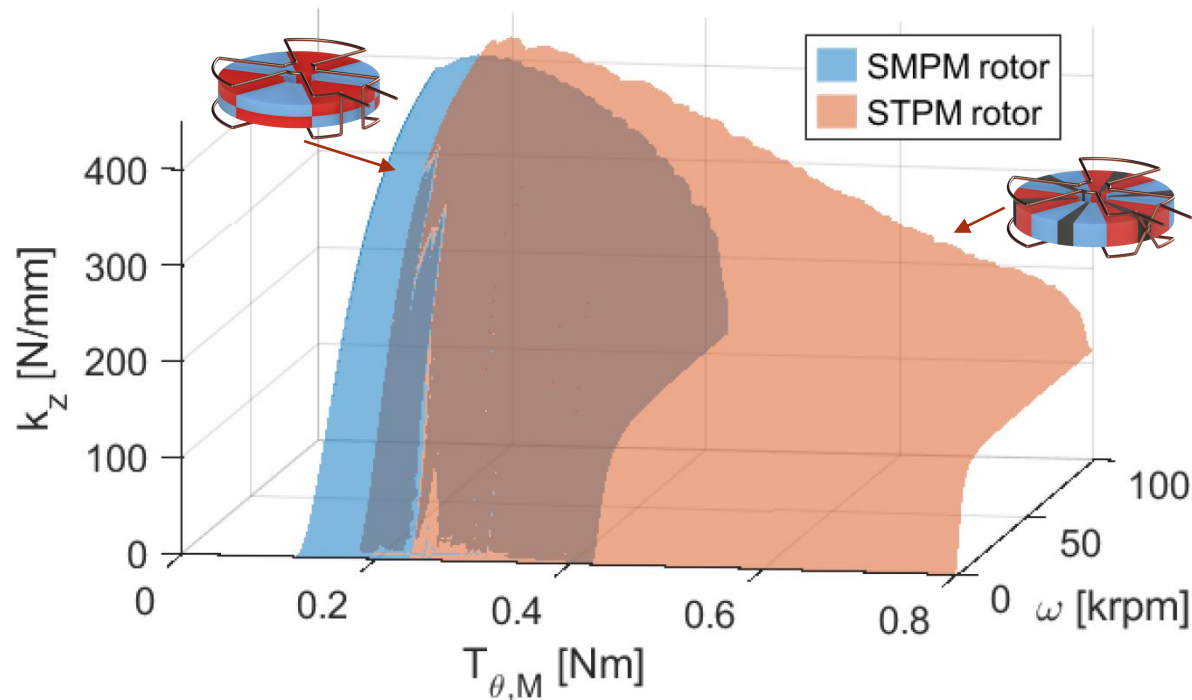
- Same observations
- Range of stiffness reachable by STPM slightly smaller than SMPM

Impact of BI for both topologies:

- Reduce the asymptotic stiffness for low torque range
- Maintain a better stiffness for high torque range
- Allow to reach higher torque range for both topologies

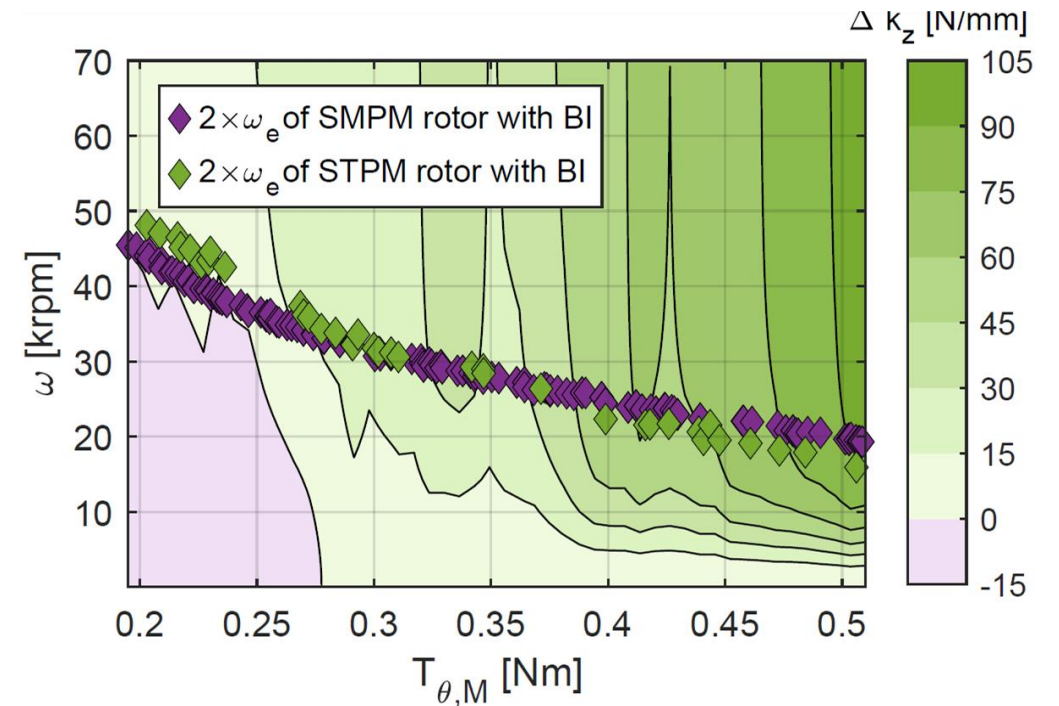
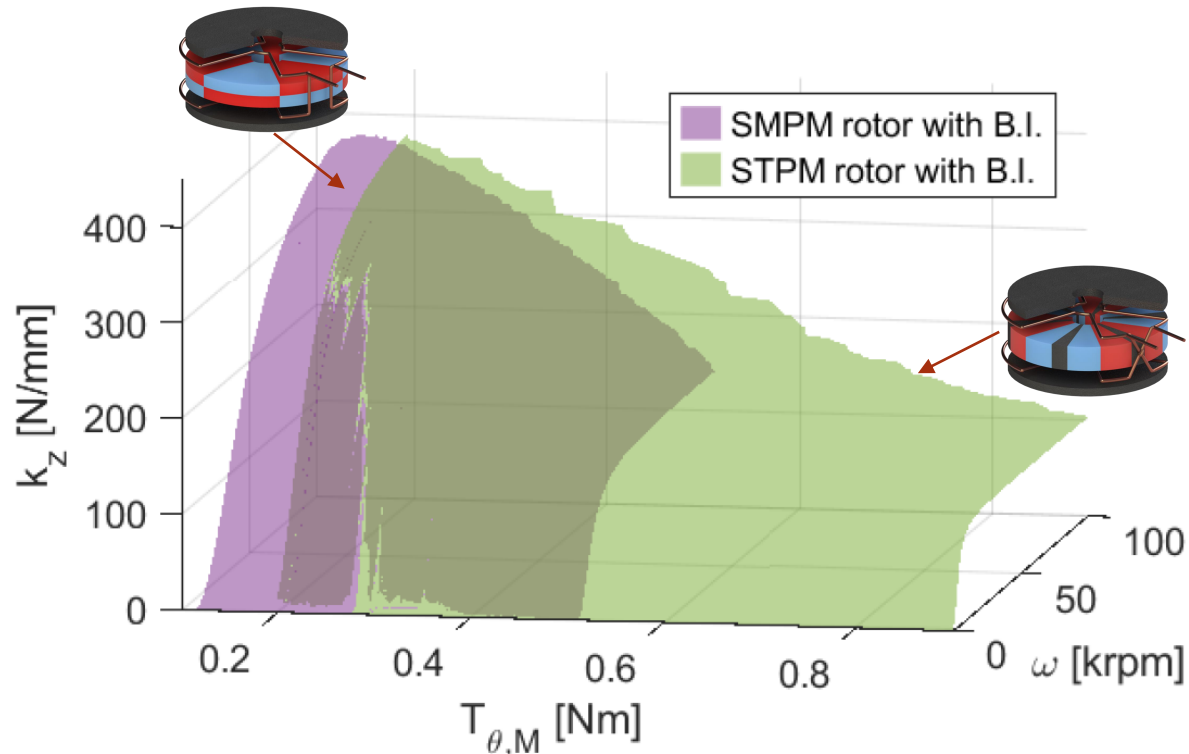
Comparison on the full speed range

Topologies without Back-Iron :



Comparison on the full speed range

Topologies with Back-Iron :



Conclusion

Purpose of research

Comparison of different magnetic circuit topologies for an ETSBM

Results

Topologies with ferromagnetic materials:

- Allow to reach higher torque range.
- Provide better suspension on the full speed range for almost all cases.

What's next

Further research:

- Impact of the d-axis current
- PM assisted synchronous reluctant motor (PMaSynRel)

Thank you for your attention !

References

- [1] Van Verdegheem, J., & Dehez, B. (2020, October). Fully passively levitated self-bearing machines with combined windings. In *2020 IEEE Energy Conversion Congress and Exposition (ECCE)* (pp. 254-261). IEEE.
- [2] Rubio, G. C., Hothur Komal, V. C., Fujii, Y. & Chiba, A. (2023), 'Experimental Verification of Passive Axial Electrodynamic Suspension in a Bearingless Motor', *IEEE Open Journal of Industry Applications* pp. 1–12.
- [3] Van Verdegheem, J., Robert, A., Herrman, S. & Dehez, B. (2022), Impact of Ferromagnetic Yokes on Axial Flux Passively Levitated Self-Bearing Machines, in '2022 25th International Conference on Electrical Machines and Systems (ICEMS)', pp. 1–6

Thank you for your attention !
